



# METRIC LEARNING WITH ADAPTIVE DENSITY DISCRIMINATION

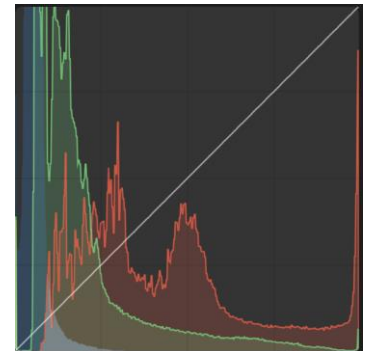
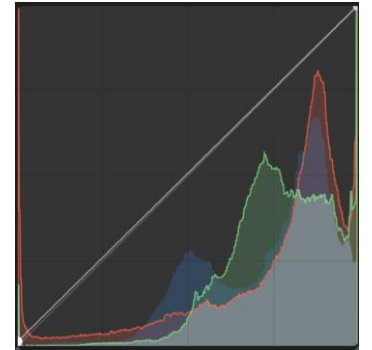
[OREN RIPPEL, MANOHAR PALURI, PIOTR DOLLAR, LUBOMIR BOURDEV 2016]

PRESENTATION BY PHILIPP REISER



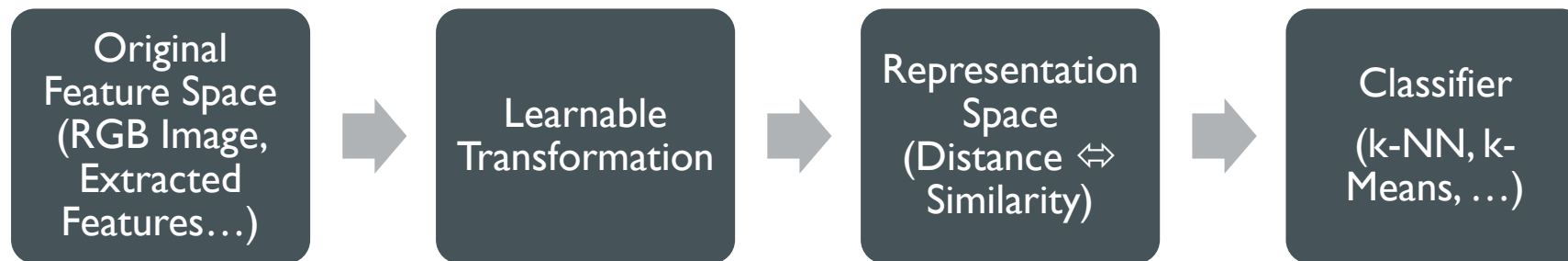
# INTRODUCTION

- Color similarity with color histograms
- Distance measure: L1, L2, ...
- Problems:
  - Not robust
  - Works only with toy datasets



# INTRODUCTION

- Metric Learning:

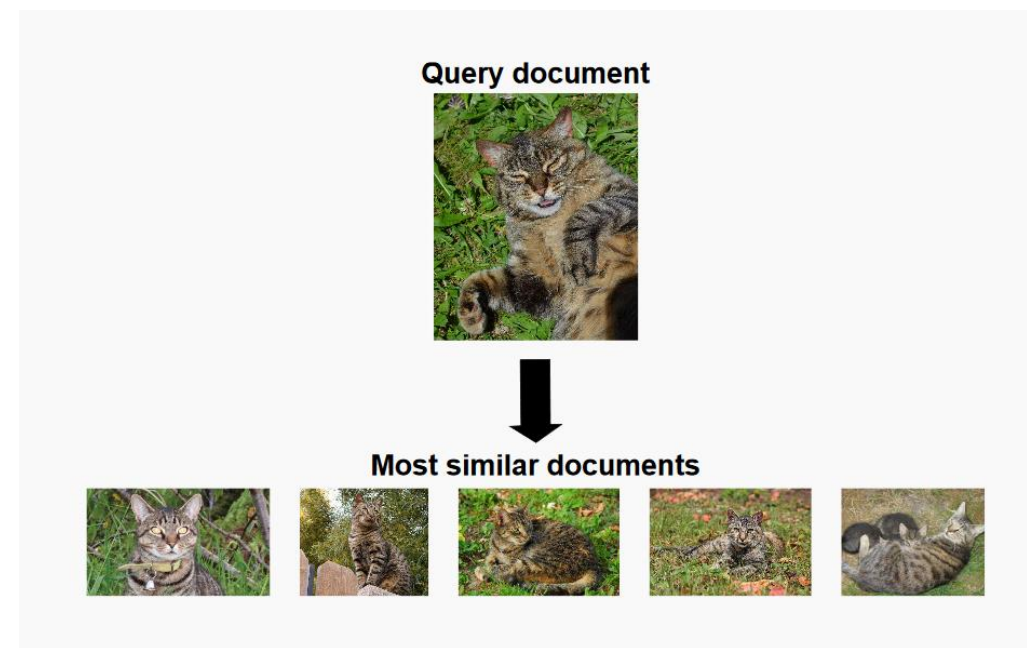


# INTRODUCTION

- Recipe for metric learning:
  - Choose parametric distance/similarity function  $D_M(x, x')$
  - Collect sets of data pairs/triplets with similarity information:
    - $S = \{(x_i, x_j): x_i \text{ and } x_j \text{ are similar}\}$
    - $D = \{(x_i, x_j): x_i \text{ and } x_j \text{ are dissimilar}\}$
    - $R = \{(x_i, x_j, x_R): x_i \text{ is more similar to } x_j \text{ than to } x_R\}$
  - Estimate best parameters:
    - $\hat{M} = \arg \min_M [L(M, S, D, R) + l \text{reg}(M)]$

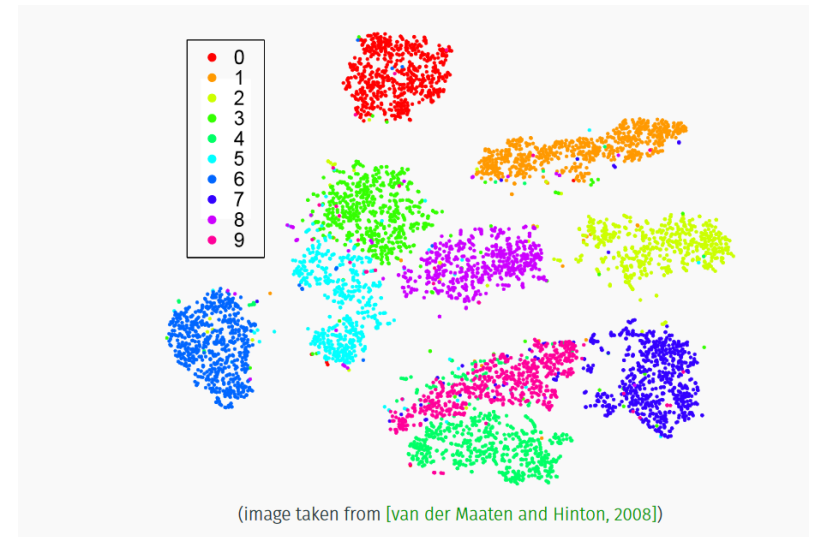
# MOTIVATION

- Zero-shot learning
- Information retrieval



# MOTIVATION

- Visualization of high-dimensional data
- Graceful scaling to instances with millions of classes
- Finetuning loses information and destroys intra- and inter-class variation



# CHALLENGES

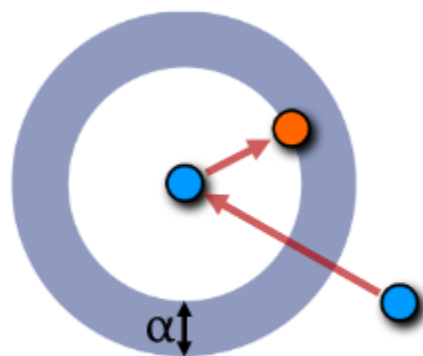
- **Issue #1** (predefined target neighborhood structure):
  - Semantic similarity  $\Leftrightarrow$  cluster classes together
  - Local similarity: target neighbors in same class (*in prior*)
  - Problem: similarity is defined in original input space
  - $\rightarrow$  Adaptive definition of similarity

# CHALLENGES

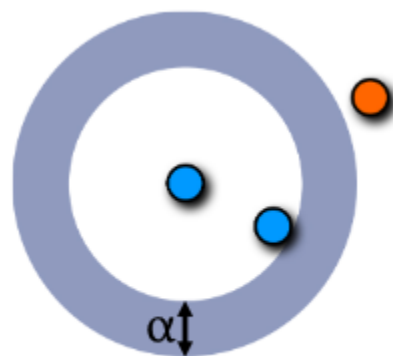
- **Issue #2** (objective formulation):

- Popular class of DML: Triplet Loss

$$\mathcal{L}_{\text{triplet}}(\Theta) = \frac{1}{M} \sum_{m=1}^M \left\{ \|\mathbf{r}_m - \mathbf{r}_m^-\|_2^2 - \|\mathbf{r}_m - \mathbf{r}_m^+\|_2^2 + \alpha \right\}_+$$

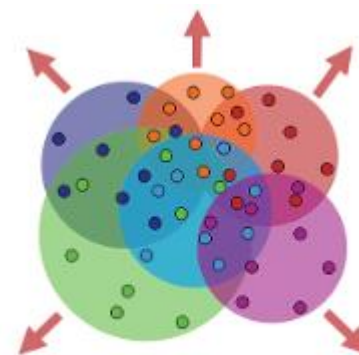


(a) Triplet: before.



(b) Triplet: after.

- Alternative: inform algorithm about distribution of different classes → Magnet Loss



(c) Magnet: before.



(d) Magnet: after.



# MODEL

- Parameterized map to representation space

$$\mathbf{r}_n = \mathbf{f}(\mathbf{x}_n; \Theta)$$

- Cluster dataset (K-Means)

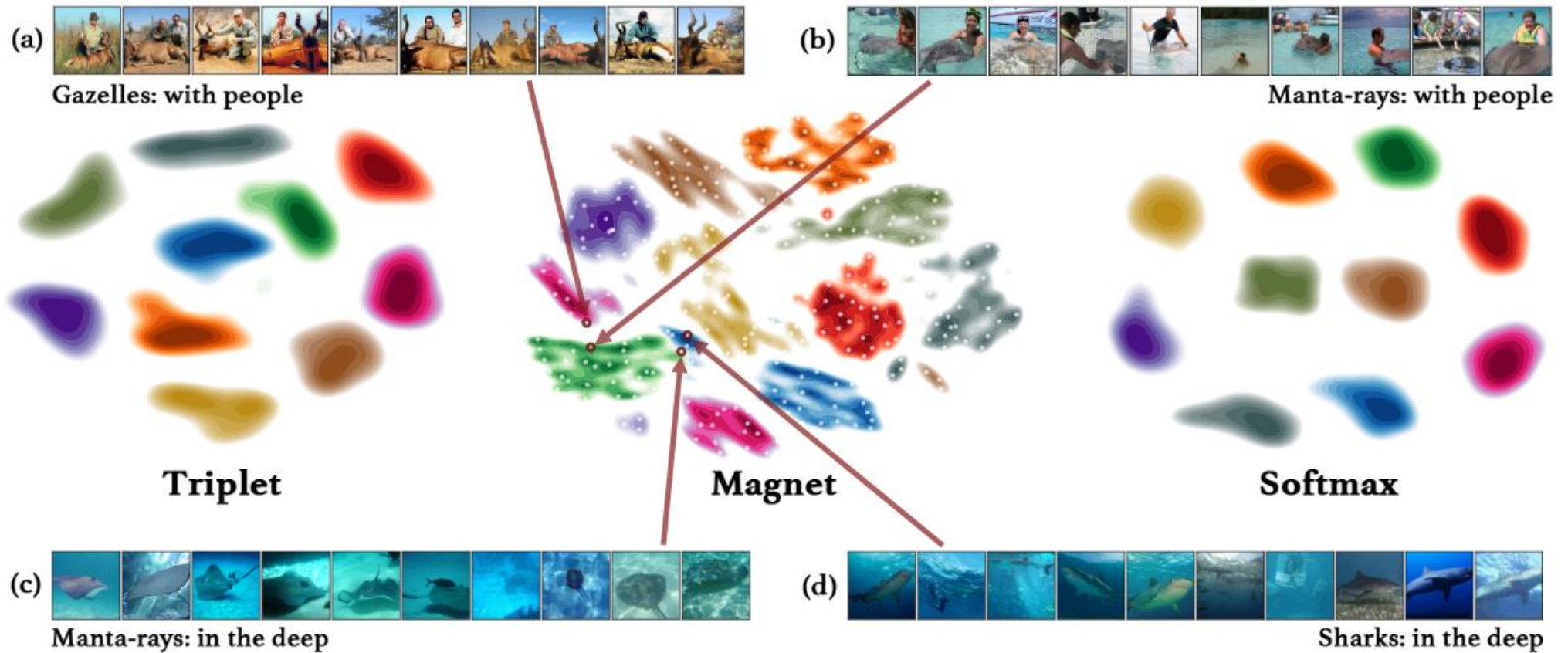
$$\mathcal{I}_1^c, \dots, \mathcal{I}_K^c = \arg \min_{I_1^c, \dots, I_K^c} \sum_{k=1}^K \sum_{\mathbf{r} \in I_k^c} \|\mathbf{r} - \boldsymbol{\mu}_k^c\|_2^2,$$

$$\boldsymbol{\mu}_k^c = \frac{1}{|I_k^c|} \sum_{\mathbf{r} \in I_k^c} \mathbf{r}.$$

- Objective function:

$$\mathcal{L}(\Theta) = \frac{1}{N} \sum_{n=1}^N \left\{ -\log \frac{e^{-\frac{1}{2\sigma^2} \|\mathbf{r}_n - \boldsymbol{\mu}(\mathbf{r}_n)\|_2^2 - \alpha}}{\sum_{c \neq C(\mathbf{r}_n)} \sum_{k=1}^K e^{-\frac{1}{2\sigma^2} \|\mathbf{r}_n - \boldsymbol{\mu}_k^c\|_2^2}} \right\}_+$$

# MAGNET LOSS



# TRAINING

- **Component #1:**

- Sample initial cluster
- Get nearest clusters
- Compute Loss
- Backpropagate

- **Component #2:**

- Stop training
- Compute forward pass
- Index representations by clusters
  
- → Representations Space is changed during training

# EXPERIMENTS

- Fine grained classification
  - Datasets with similar classes
  - Comparison of Magnet Loss, Triplet Loss and Softmax
  - kNN for Triplet Loss evaluation
  - kNC for Magnet Loss evaluation

# RESULTS

Approach	Error
Angelova & Long	51.7%
Gavves et al.	49.9%
Xie et al.	43.0%
Gavves et al.	43.0%
Qian et al.	30.9%
Softmax	26.6%
Triplet	35.8%
<b>Magnet</b>	<b>24.9%</b>

(a) Stanford Dogs.

Approach	Error
Angelova & Zhu	23.3%
Angelova & Long	19.6%
Murray & Perronnin	15.4%
Sharif Razavian et al.	13.2%
Qian et al.	11.6%
Softmax	11.2%
Triplet	17.0%
<b>Magnet</b>	<b>8.6%</b>

(b) Oxford 102 Flowers.

Approach	Error
Angelova & Zhu	49.2%
Parkhi et al.	46.0%
Angelova & Long	44.6%
Murray & Perronnin	43.2%
Qian et al.	19.6%
Softmax	11.3%
Triplet	13.5%
<b>Magnet</b>	<b>10.6%</b>

(c) Oxford-IIIT Pet.

# EXPERIMENTS

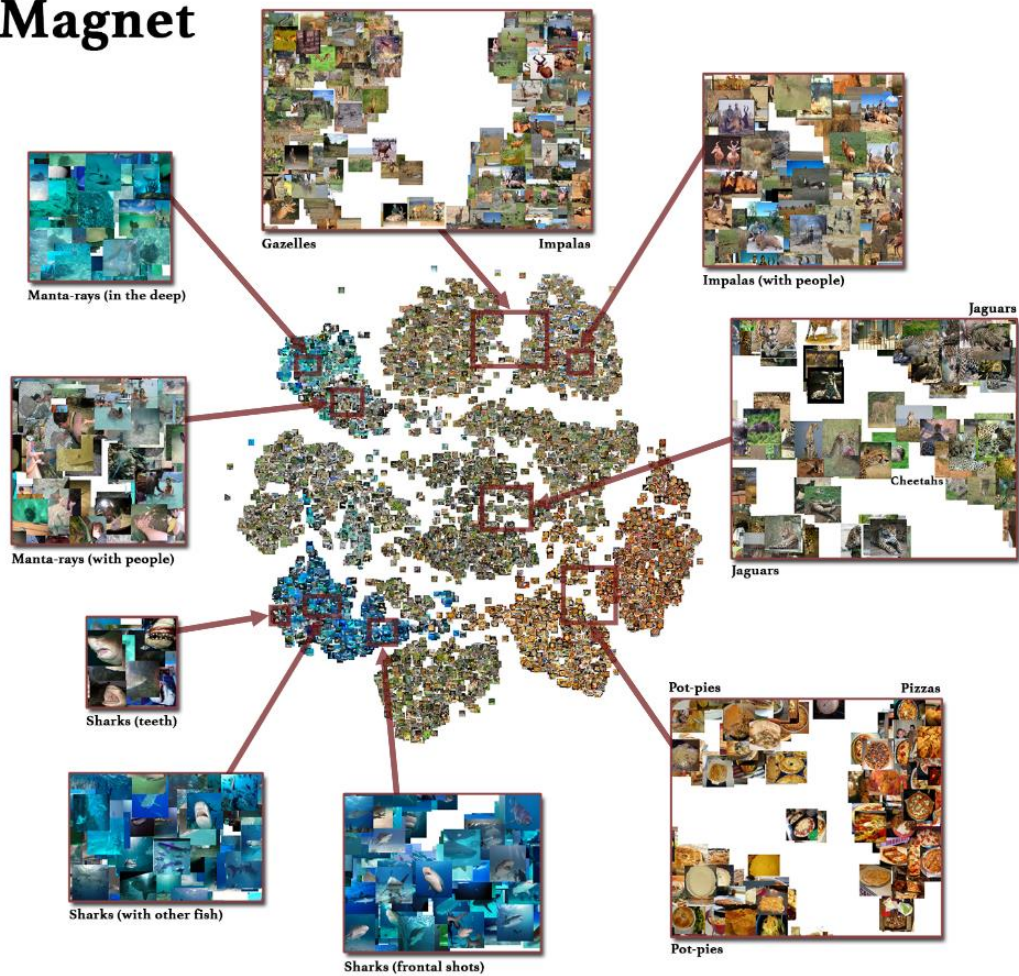
- Hierarchy recovery
  - Collapse finer grained classes to one class for training
  - Test performance in discovering intra-class variances

<b>Approach</b>	<b>Error@1</b>	<b>Error@5</b>
Softmax	30.9%	15.0%
Triplet	44.6%	23.4%
<b>Magnet</b>	<b>28.6%</b>	<b>7.8%</b>

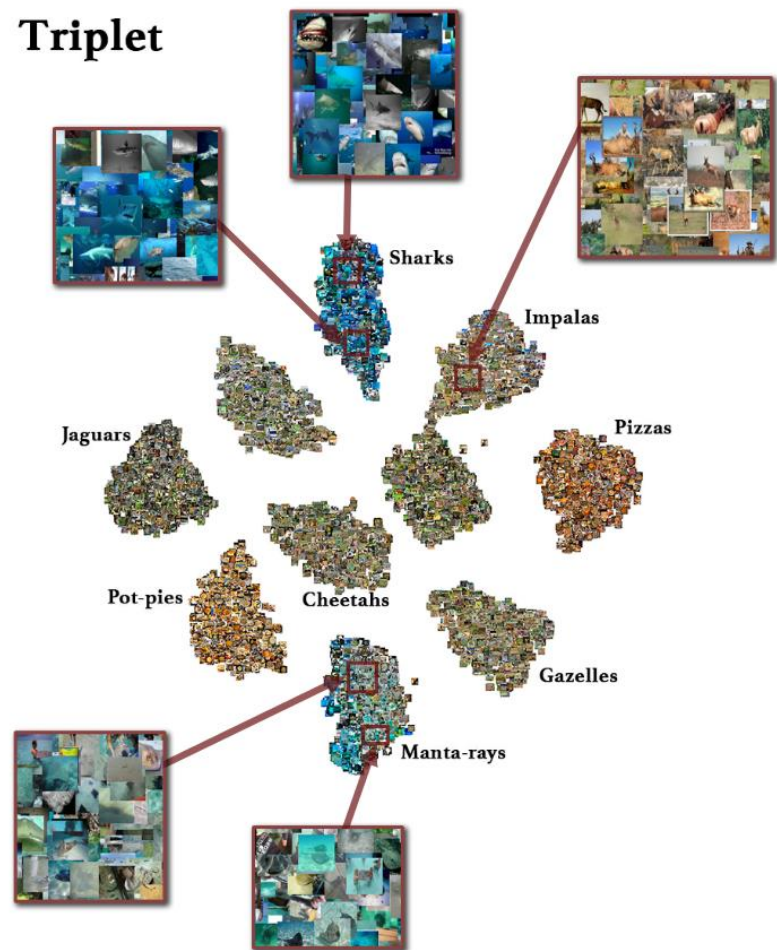
(f) Hierarchy recovery on ImageNet Attributes.

# RESULTS

## Magnet



## Triplet





# SOURCES

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- “Metric Learning with Adaptive Density Discrimination” by Oren Rippel, Manohar Paluri, Piotr Dollar, Lubomir Bourdev in 2016, p.3, 4, 8, 11, 12