

Do's and Dont's in Scientific Talks

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12/12/2022



UNIVERSITÄT
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ZUKUNFT
SEIT 1386



Motivation

Talk material



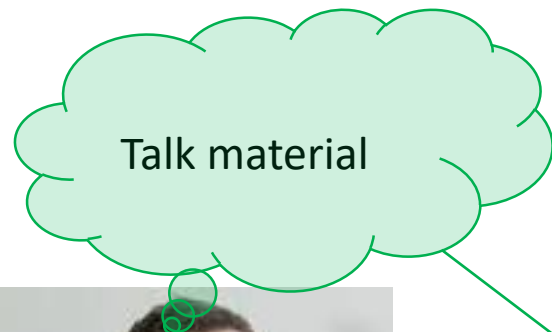
Slides

+ story

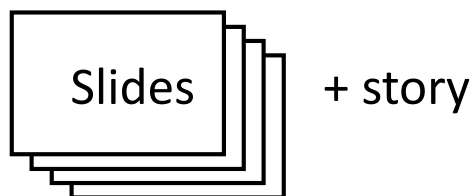
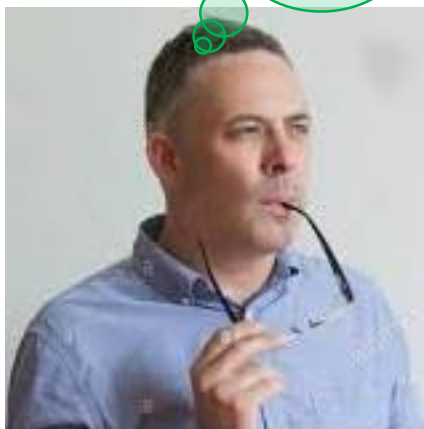
- Get credit points
- Learn how to give talks
- Learn about the topic



Motivation



Talk material

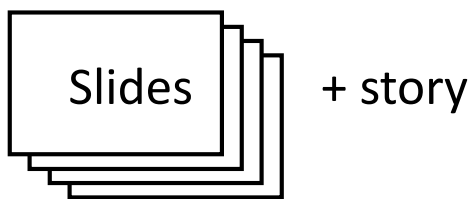
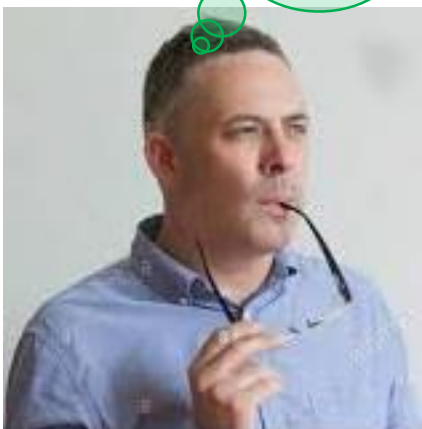
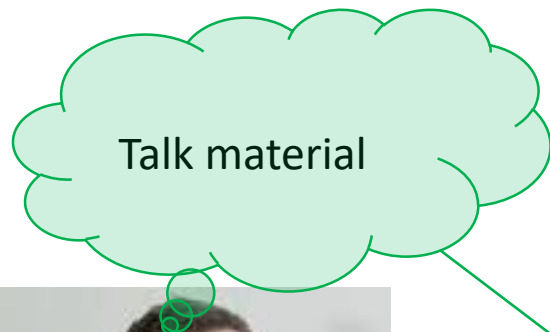


- Get credit points
- Learn how to give talks
- Learn about the topic

- Get higher grade for your PhD/Master/Bachelor
- Get feedback to you work



Motivation



- Get credit points
- Learn how to give talks
- Learn about the topic

- Get higher grade for your PhD/Master/Bachelor
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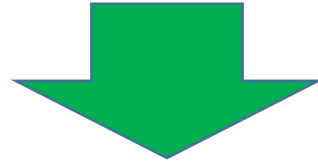
You are judged by your talk:

Each talk is an application talk



- **Slides content** (What is allowed on the slides and what isn't)
- **Slides order** (General structure of a talk)

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- **Slides order** (General structure of a talk)
- **Slides content** (What is allowed on the slides and what isn't)

Slides Order

General structure of a talk

Typical talk outline?

1. Title
2. Outline
3. Problem description
4. Method/Solution
5. Experiments
6. Conclusions
7. Future work

DSAC – Differentiable RANSAC for Camera Localization

Eric Brachmann, Alexander Krull, Sebastian Nowozin, Jamie Shotton, Frank Michel, Stefan Gumhold, Carsten Rother

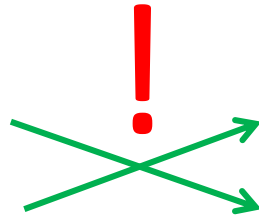
TU Dresden, Microsoft

1. RANSAC
2. Camera localization problem
3. Learning camera localization
4. Our end-to-end learning approach, DSAC
5. Experiments
6. Conclusions and Outlook

How much do you understand out of it?
Is this outline helpful for you?

Typical talk outline

1. Title
2. **Outline**
3. **Problem description**
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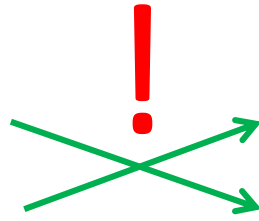


1. Title
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Problem description explains the outline.

Typical talk outline

1. Title
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1. Title
2. **Problem description**
- ~~3. **Outline**~~
4. Method/Solution
5. Experiments
6. Conclusions
7. Future work

Problem description explains the outline.
You do not need an outline for most short (< 30 mins) talks.

Video: Provide your timing

1. Title
2. Problem description
3. Method/Solution
4. Experiments
5. Conclusions
6. Future work

Example of a talk

Scene Coordinate Regression [Sho13]

Image I → Scene Coordinate Regression → RANSAC → HD Plane \mathcal{H}

$p_i \in \mathbb{R}^2$ → $y_i \in \mathbb{R}^3$

[Sho13] "Scene Coordinate Regression Forests for Camera Relocalization in RGB-D Images", Shotton et al., CVPR'15

CVPR July 21-25 2017

YouTube Video: [DSAC – Differentiable RANSAC for Camera Localization](#)

Typical talk timing

Time from the beginning of the talk:

- | | |
|------------------------|----------------------------|
| 1. Title | < 1 min: Thanks, coauthors |
| 2. Problem description | < 5 min |
| 3. Method/Solution | > 50 % of the talk |
| 4. Experiments | } 20-30 % of the talk |
| 5. Conclusions | |
| 6. Future work | |

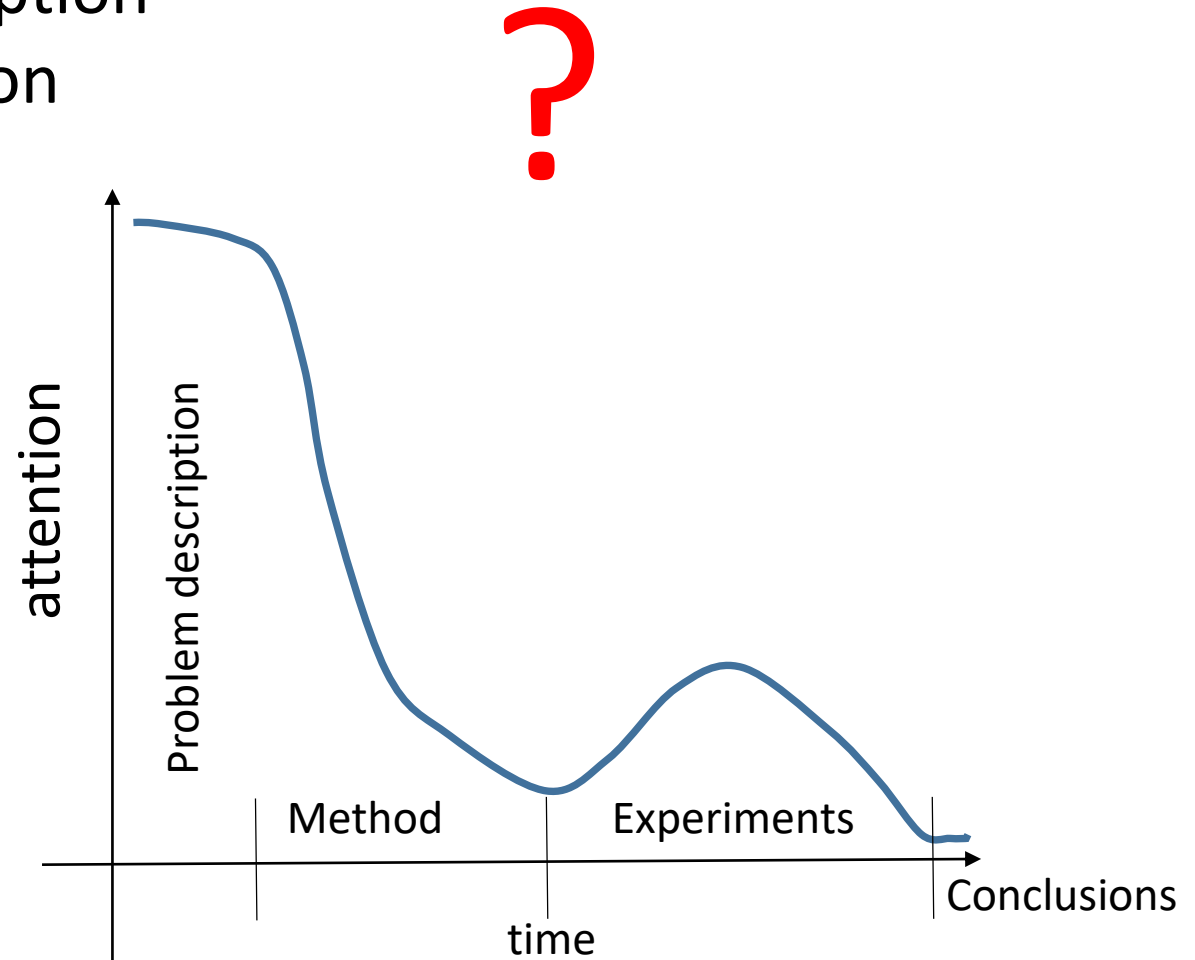
The most important part of the talk

1. Title
2. Problem description
3. Method/Solution
4. Experiments
5. Conclusions
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The most important part of the talk

1. Title
2. Problem description
3. Method/Solution
4. Experiments
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Video: The most important part of the talk


Problem description:

- simplified description (top view, clear for broad audience)
- more details (necessary to pose your actual problem)
- existing solutions
- deficiencies you address (problem statement)
- advertisement (short description of your results)

Example of a talk

Scene Coordinate Regression [Sho13]


Image I → Scene Coordinate Regression → RANSAC → Estimated Plane (with Scene Plane Overlay) → HD Plane \hat{h}




The diagram illustrates the process of scene coordinate regression. It starts with an input image I (a scene with a red car and a white building). This image is processed by 'Scene Coordinate Regression', which outputs a set of estimated planes. These planes are then refined using 'RANSAC' to produce an 'Estimated Plane (with Scene Plane Overlay)'. The final output is the 'HD Plane \hat{h} '. The diagram also shows a 2D plane $p_i \in \mathbb{R}^2$ being mapped to a 3D plane $y_i \in \mathbb{R}^3$ in the scene. A color-coded plane is shown next to the estimated plane.

[Sho13] "Scene Coordinate Regression: Towards Self-Calibration in RGB-D Images", Shotton et al., CVPR13

Logos: University of Cambridge, Microsoft



A photograph of a speaker standing at a podium during a presentation. The podium has a sign that reads "HAWAII UNIVERSITY OF SCIENCE AND TECHNOLOGY".



CVPR
July 21-26
2017

1. RANSAC
2. Camera localization problem
- 3. Learning camera localization**
4. Our end-to-end learning approach, DSAC
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When:

- long talk
- involved method

1. **RANSAC**
2. Camera localization problem
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...

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- 2. Camera localization problem**
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...

Hint: For complex talks consider conclusions to each part

1. RANSAC
2. Camera localization problem
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Creative Rolling Outline: Puzzles

parametric
linear
equation
system

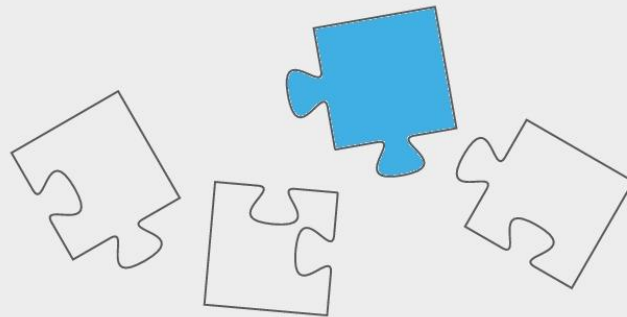
parameterized
discrete-time
Markov chain

satis-
faction
of polynomial
constraints

probabilistic
computation
tree logic



Parameterized Discrete-Time Markov Chains

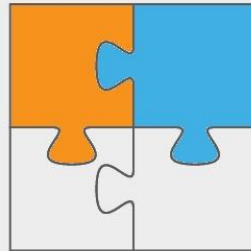


Creative Rolling Outline: Puzzles

A **discrete-time Markov chain** \mathcal{M}
is a tuple $(\mathcal{S}, \mathbf{P}, AP, \mathcal{L})$.



The Model Checking Procedure



Creative Rolling Outline: Puzzles

Input



- ▶ PCTL state formula φ

$$\varphi ::= \text{true} \mid a \mid \varphi \wedge \varphi \mid \neg \varphi \mid \mathbb{P}_{\bowtie c}(\Phi)$$

state formula

$$\Phi ::= \diamond \varphi$$

path formula



Slides Content

What is allowed on the slides and what not

Information Representation

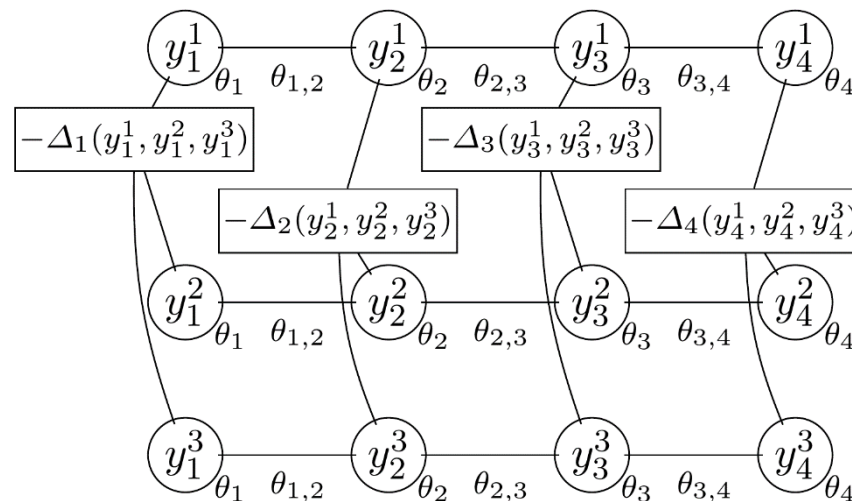
Text

A combinatorial optimization problem can be characterized by a mapping $f : R^m \rightarrow \{0,1\}^n$, where the problem description is mapped to a binary vector representing an optimal problem solution. In case of ILPs the description consists of the coefficients of the objective function and the constraint matrix. Computation of the mapping f has in general a complexity that grows at least as an exponent of m .

Formulas

$$\mathbf{K} = \text{diag}(\text{vec}(\mathbf{K}_p)) + (\mathbf{G}_2 \otimes \mathbf{G}_1) \text{diag}(\text{vec}(\mathbf{K}_q))(\mathbf{H}_2 \otimes \mathbf{H}_1)^\top$$

Images



Text

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$f : R^m \rightarrow \{0,1\}^n$ - optimization problem, NP-hard

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$f : R^m \rightarrow \{0,1\}^n$ - optimization problem, NP-hard

Example: $f(A, c) = \arg \min_{\substack{Ax \leq b \\ x \in \{0,1\}^m}} \langle c, x \rangle$

Text

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$f: R^m \rightarrow \{0,1\}^n$ - optimization problem, NP-hard

Example: $f(A, c) = \arg \min_{\substack{Ax \leq b \\ x \in \{0,1\}^m}} \langle c, x \rangle$

Allowed: keywords, names, terminology

Avoid non-standard acronyms! SVM, VAE, ICA, CINN, LAP, PCA, CNN, MRF, CRF, MAP?

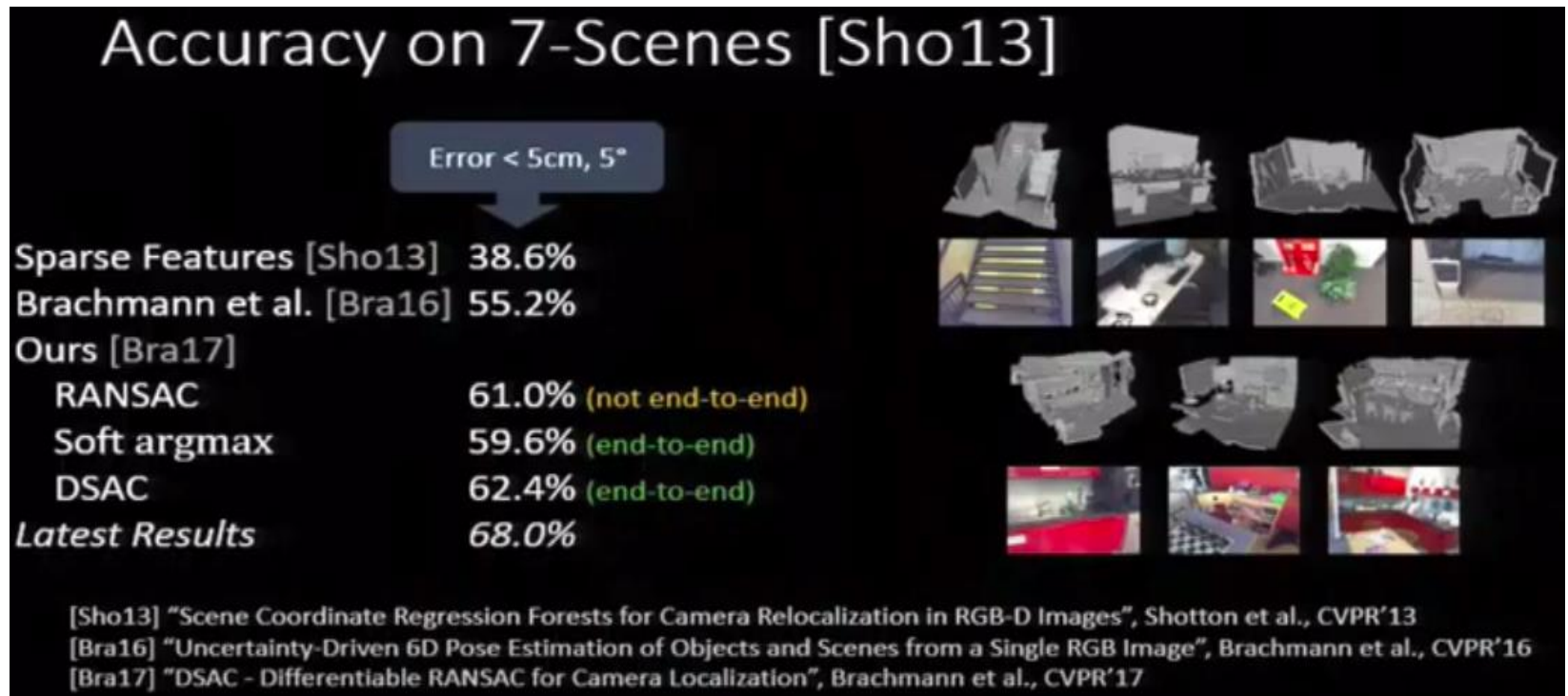
Information Representation: Text in Tables

Table 1. Accuracy measured as the percentage of test images where the pose error is below 5cm and 5°. *Complete* denotes the combined set of frames (17000) of all scenes. Numbers in **green** denote improved accuracy after end-to-end training for SoftAM resp. DSAC compared to componentwise training. Similarly, **red** numbers denote decreased accuracy. **Bold** numbers indicate the best result for each scene.

	Sparse Features [36]	Brachmann <i>et al.</i> [5]	Ours: Trained Componentwise			Ours: Trained End-To-End	
			RANSAC	SoftAM	DSAC	SoftAM	DSAC
Chess	70.7%	94.9%	94.9%	94.8%	94.7%	94.2% -0.6%	94.6% -0.1%
Fire	49.9%	73.5%	75.1%	75.6%	75.3%	76.9% +1.3%	74.3% -1.0%
Heads	67.6%	48.1%	72.5%	74.5%	71.9%	74.0% -0.5%	71.7% -0.2%
Office	36.6%	53.2%	70.4%	71.3%	69.2%	56.6% -14.7%	71.2% +2.0%
Pumpkin	21.3%	54.5%	50.7%	50.6%	50.3%	51.9% +1.3%	53.6% +3.3%
Kitchen	29.8%	42.2%	47.1%	47.8%	46.2%	46.2% -1.6%	51.2% +5.0%
Stairs	9.2%	20.1%	6.2%	6.5%	5.3%	5.5% -1.0%	4.5% -0.8%
Average	40.7%	55.2%	59.5%	60.1%	59.0%	57.9% -2.2%	60.1% +1.1%
Complete	38.6%	55.2%	61.0%	61.6%	60.3%	57.8% -3.8%	62.5% +2.2%

Paper-style table.

Make it short enough to explain everything!



Presentation-style table.

$$\mathbf{K} = \text{diag}(\text{vec}(\mathbf{K}_p)) + (\mathbf{G}_2 \otimes \mathbf{G}_1) \text{diag}(\text{vec}(\mathbf{K}_q))(\mathbf{H}_2 \otimes \mathbf{H}_1)^\top$$

Factorization I

$$\mathbf{K} = \text{diag}(\text{vec}(\mathbf{K}_p)) + (\mathbf{G}_2 \otimes \mathbf{G}_1) \text{diag}(\text{vec}(\mathbf{K}_q)) (\mathbf{H}_2 \otimes \mathbf{H}_1)^T.$$

$$\mathbf{K}_p = \begin{pmatrix} 1 & 1 & 4 \\ 10 & 3 & 2 \\ 2 & 9 & 3 \\ 1 & 2 & 8 \end{pmatrix}$$

$$\dots = \begin{pmatrix} 1 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 \\ 0 & 10 & 0 & 0 & | & 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 \\ 0 & 0 & 2 & 0 & | & 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & | & 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 \\ \hline 0 & 0 & 0 & 0 & | & 1 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & | & 0 & 3 & 0 & 0 & | & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & | & 0 & 0 & 9 & 0 & | & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 2 & | & 0 & 0 & 0 & 0 \\ \hline 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 & | & 4 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 & | & 0 & 2 & 0 & 0 \\ 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 & | & 0 & 0 & 3 & 0 \\ 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 0 & | & 0 & 0 & 0 & 8 \end{pmatrix}$$

Factorization II

$$\mathbf{K} = \text{diag}(\text{vec}(\mathbf{K}_p)) + (\mathbf{G}_2 \otimes \mathbf{G}_1) \text{diag}(\text{vec}(\mathbf{K}_q)) (\mathbf{H}_2 \otimes \mathbf{H}_1)^T.$$

$$\mathbf{G}_2 \otimes \mathbf{G}_1 = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \otimes \mathbf{G}_1 = \begin{pmatrix} \mathbf{G}_1 & \mathbf{0} & \mathbf{0} & \mathbf{0} \\ \mathbf{0} & \mathbf{G}_1 & \mathbf{G}_1 & \mathbf{0} \\ \mathbf{0} & \mathbf{0} & \mathbf{0} & \mathbf{G}_1 \end{pmatrix}$$

Factorization III

$$\mathbf{K} = \text{diag}(\text{vec}(\mathbf{K}_p)) + (\mathbf{G}_2 \otimes \mathbf{G}_1) \text{diag}(\text{vec}(\mathbf{K}_q)) (\mathbf{H}_2 \otimes \mathbf{H}_1)^T.$$

$$\begin{bmatrix} \mathbf{G}_1 & 0 & 0 & 0 \\ 0 & \mathbf{G}_1 & \mathbf{G}_1 & 0 \\ 0 & 0 & 0 & \mathbf{G}_1 \end{bmatrix} \cdot \begin{bmatrix} d(\mathbf{k}_{(a,b)}^q) & 0 & 0 & 0 \\ 0 & d(\mathbf{k}_{(b,c)}^q) & 0 & 0 \\ 0 & 0 & d(\mathbf{k}_{(b,a)}^q) & 0 \\ 0 & 0 & 0 & d(\mathbf{k}_{(c,b)}^q) \end{bmatrix} \cdot \begin{bmatrix} 0 & \mathbf{H}_1 & 0 \\ 0 & 0 & \mathbf{H}_1 \\ \mathbf{H}_1 & 0 & 0 \\ 0 & \mathbf{H}_1 & 0 \end{bmatrix}$$

$$= \begin{array}{c|ccc} & a & b & c \\ \hline a & 0 & \mathbf{G}_1 \text{diag}(\mathbf{k}_{(a,b)}^q) \mathbf{H}_1^T & 0 \\ b & \mathbf{G}_1 \text{diag}(\mathbf{k}_{(b,a)}^q) \mathbf{H}_1^T & 0 & \mathbf{G}_1 \text{diag}(\mathbf{k}_{(b,c)}^q) \mathbf{H}_1^T \\ c & 0 & \mathbf{G}_1 \text{diag}(\mathbf{k}_{(c,b)}^q) \mathbf{H}_1^T & 0 \end{array}$$

Linear Assignment Problem

Goal

$$\text{maximize } \sum_{(i,j) \in A} a_{ij} x_{ij}$$

Restrictions

$$\sum_{\{j | (i,j) \in A\}} x_{ij} = 1 \quad \forall i \in N$$

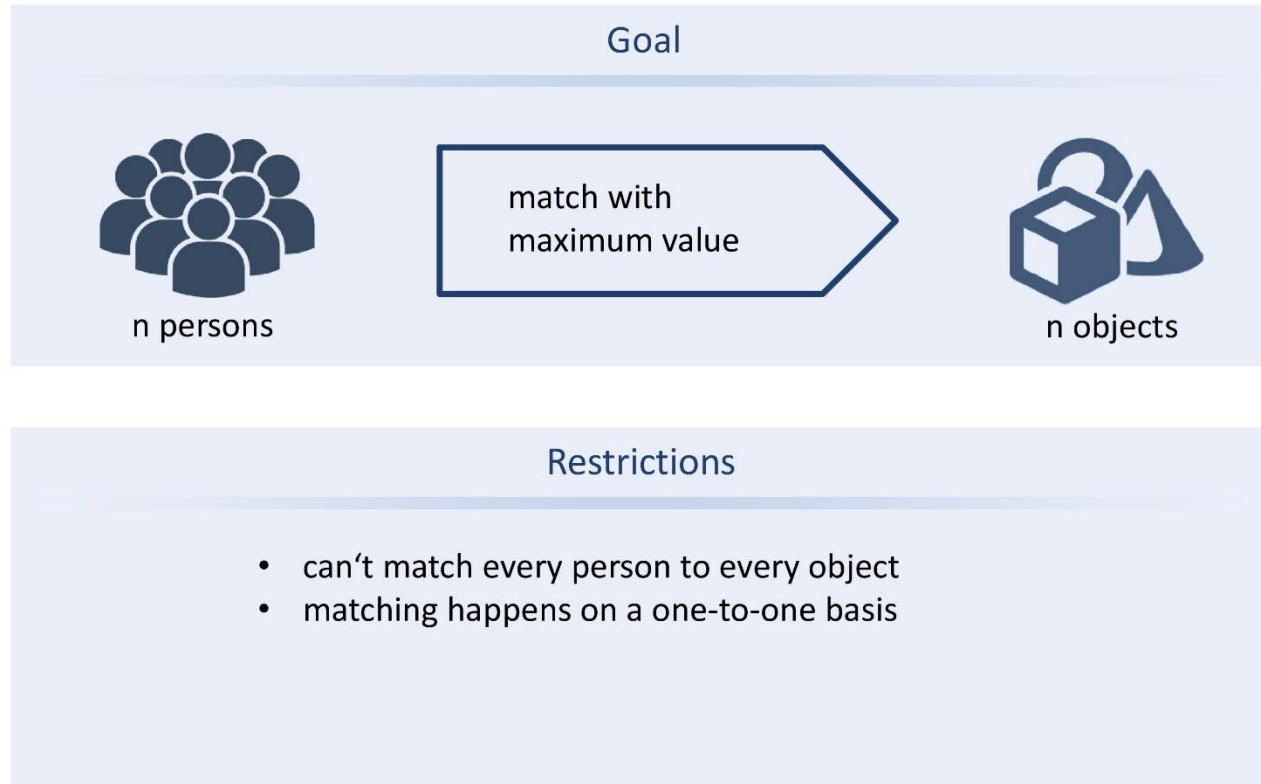
$$\sum_{\{i | (i,j) \in A\}} x_{ij} = 1 \quad \forall j \in N$$

$$0 \leq x_{ij} \leq 1 \quad \forall (i,j) \in A$$

Is everything clear? Can you imagine the problem?

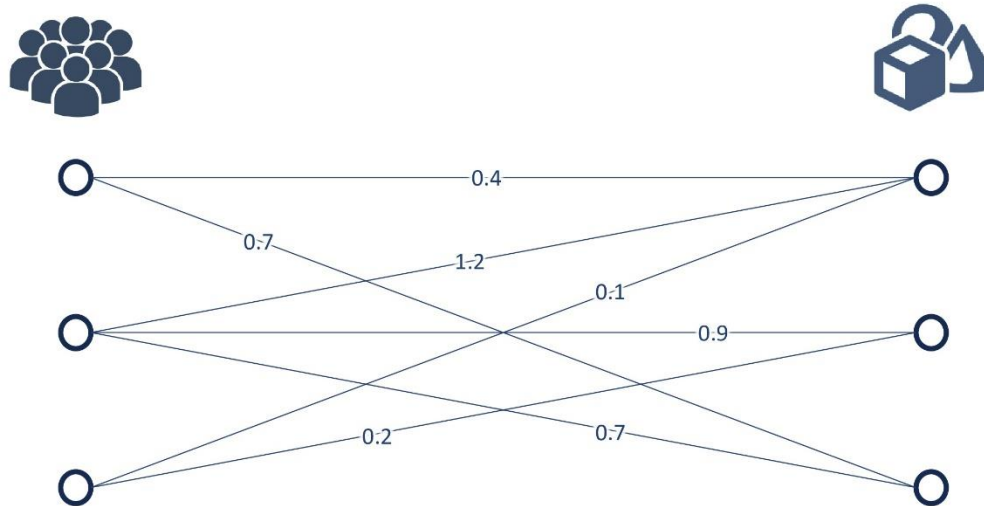


What is the Linear Assignment Problem?



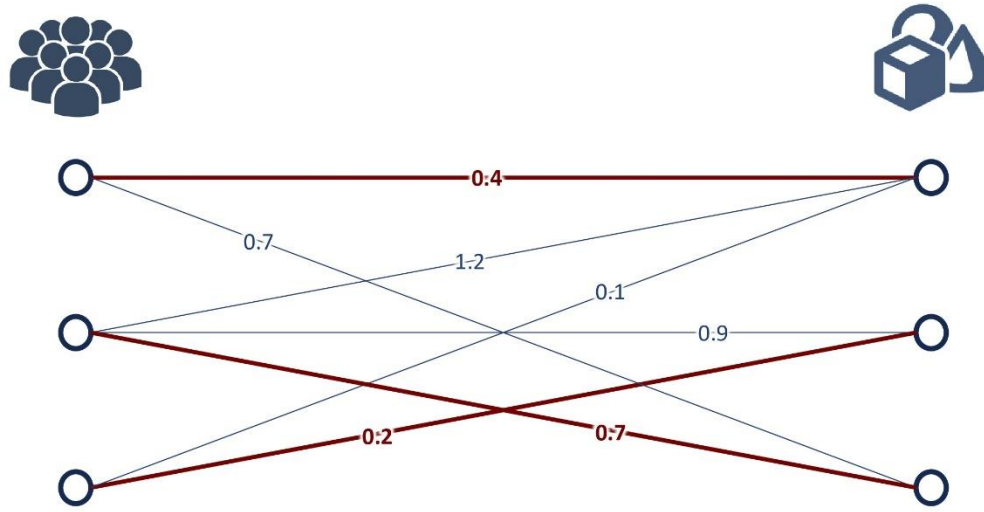
Images vs. formulas

Linear Assignment Problem



Images vs. formulas

Linear Assignment Problem

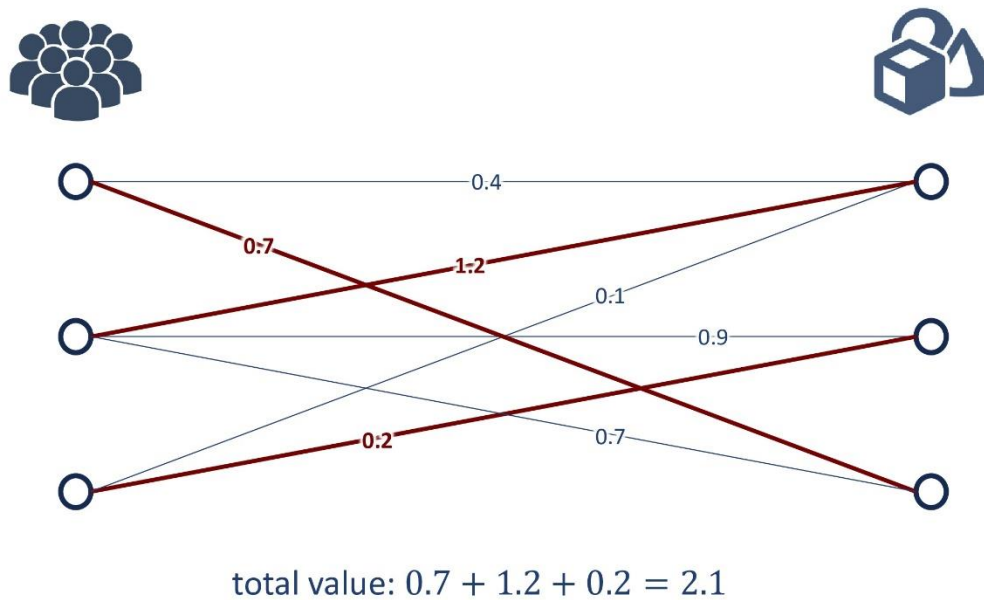


total value: $0.4 + 0.7 + 0.2 = 1.3$



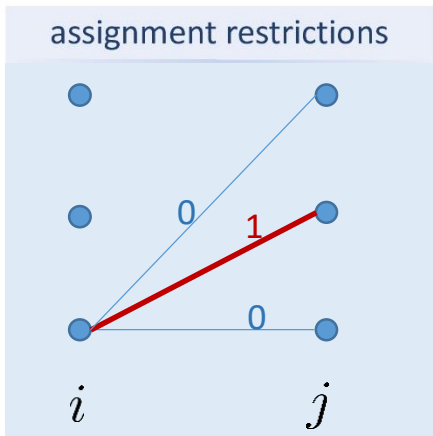
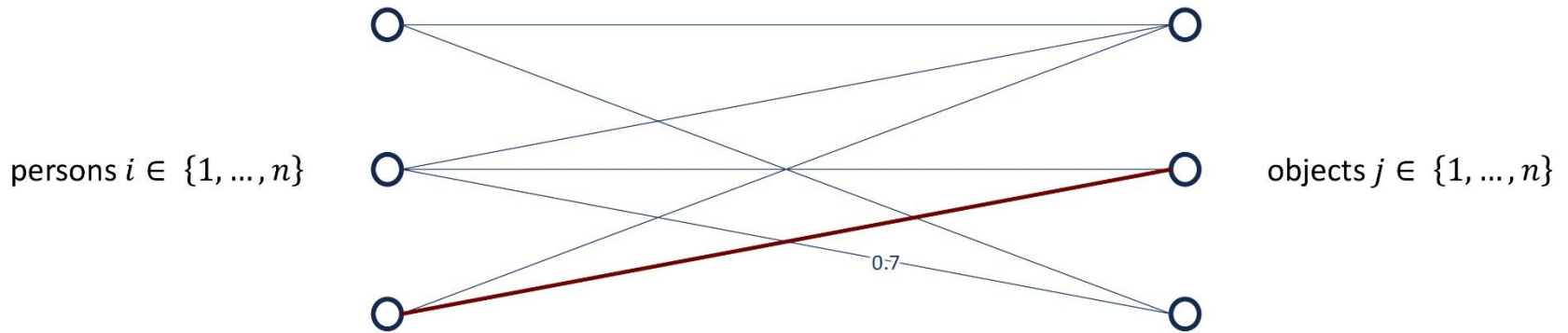
Images vs. formulas

Linear Assignment Problem

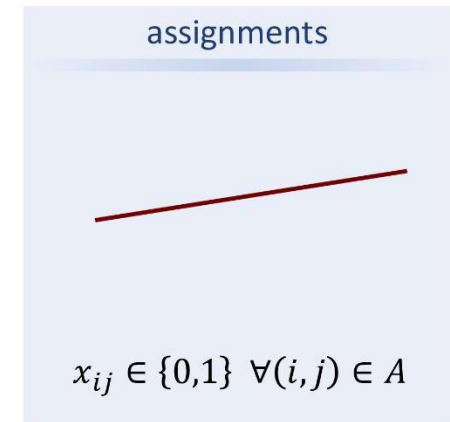
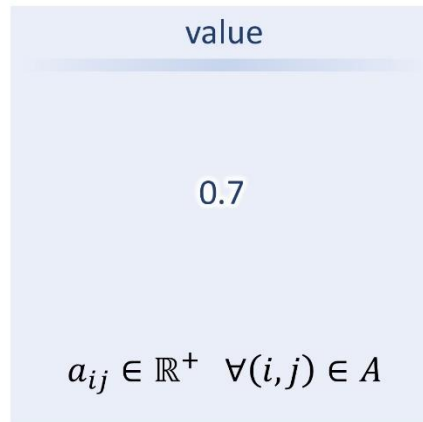


Information Representation: Images

Linear Assignment Problem



$$i : \sum_j x_{ij} = 1$$



Linear Assignment Problem

Goal

$$\text{maximize } \sum_{(i,j) \in A} a_{ij} x_{ij}$$

Restrictions

$$\sum_{\{j | (i,j) \in A\}} x_{ij} = 1 \quad \forall i \in N$$

$$\sum_{\{i | (i,j) \in A\}} x_{ij} = 1 \quad \forall j \in N$$

$$0 \leq x_{ij} \leq 1 \quad \forall (i,j) \in A$$

Better now?

Graph- or geometry-related problem? – Use images!



Talk vs. paper or lecture notes

Table 1: **Characteristics of datasets.** For all datasets used for evaluation we state number of instances (*inst.*), number of nodes (n), number of labels ($|\mathcal{L}|$), and graph density in percent (*dens.*).

	<i>inst.</i>	n	$ \mathcal{L} $	<i>dens.</i> (%)
hotel	105	30	$= n$	100
house	105	30	$= n$	100
car [†]	30	19 - 49	$= n$	11 - 27
motor [†]	20	15 - 52	$= n$	10 - 32
flow	6	48 - 126	$\approx n$	45 - 98
opengm	4	19 / 20	$= n$	66 / 100
worms	30	558	$\approx 2.4 n$	≈ 1.5
pairs	16	511 - 565	$\approx n$	≈ 20

[†] Zero edges were removed. Prior to this, graph density was 100 %.

What is wrong with this slide?

Algorithm 2: Iterative Pruning Arc Consistency

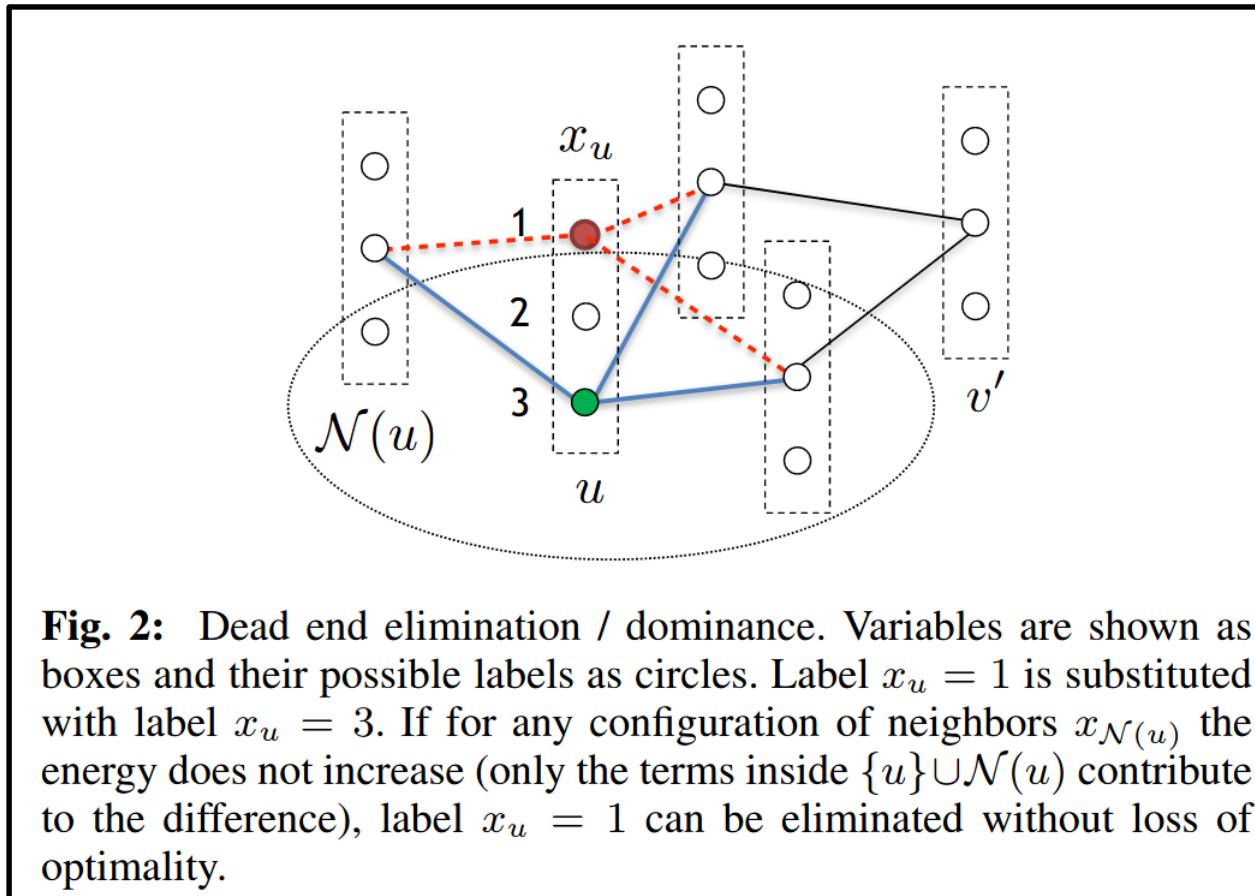
Input: Cost vector $f \in \mathbb{R}^{\mathcal{I}}$, test labeling $y \in \mathcal{X}$;

Output: Strictly improving substitution p ;

- 1 $(\forall v \in \mathcal{V}) \mathcal{Y}_v := \overline{\mathcal{X}_v \setminus \{y_v\}}$;
- 2 **while true**
- 3 Construct verification problem $g := (I - [p])^\top f$ with p defined by (7);
- 4 Use dual solver to find φ such that g^φ is arc consistent;
- 5 $\mathcal{O}_v(\varphi) := \{i \in \mathcal{X}_v \mid g_v^\varphi(i) = 0\}$;
- 6 **if** $(\forall v \in \mathcal{V}) \mathcal{O}_v(\varphi) \cap \mathcal{Y}_v = \emptyset$ **then return** p ;
- 7 **for** $v \in \mathcal{V}$ **do**
- 8 Pruning of substitutions: $\mathcal{Y}_v := \mathcal{Y}_v \setminus \mathcal{O}_v(\varphi)$;

What is wrong with this slide?

Talk vs. paper or lecture notes



What is wrong with this slide?

The Best Method to Solve the Universal Problem

Max Mustermann

Seminar on

„Optimization in Machine Learning and Computer Vision“

Heidelberg 2021

What is missing here?

The Best Method to Solve the Universal Problem

Y. Zhang, J. Schmidt, A. Zimmersinger
University of Toronto, DeepResearch Ltd.

Presenter: Max Mustermann

Seminar on

„Optimization in Machine Learning and Computer Vision“

Heidelberg 2021

Authors and affiliations!

Do's of an entertaining talk

- **Joke** (if you feel comfortable with that)
- **Advertise** (e.g. after problem formulation)
- **Simplify** (give examples)
- **Intrigue** (e.g. seemingly correct conclusions)

Checklist/Feedback criteria

1. Talk structure:

- Is the general structure of the presentation correct, as in Sl. 14?
- Is the **Problem description** composed as in Sl. 19? Was the timing ok? (<5 min)
- Would you change anything in the structure of the **Method/Solution** part?
- Useless or missing/insufficient **Outline**?

2. Slide content:

- Too much text?
- Too few explanatory images?
- Difficult formulas with insufficient explanation (did you understand them)?
- Long image/table captions?
- Enumeration of formulas, descriptions starting with **Table, Figure, Algorithm** etc?
- Are there paper-style slides, tables, algorithms, theorems etc. ?
- Title page ok?

3. Presentation and question answering:

- Missing/incorrect/uncertain answers to the questions?
- Intonation/voice modulation: Emphasis on important things?
- Acoustical problems: Too fast/not loud enough/unclear pronunciation etc.?

A good practice applied math presentation

YouTube Video: [An explicit analysis of the entropic penalty in linear programming](#)

Thanks you for attention!

**This is just a kind reminder to submit
your slides 2 weeks in advance 😊**